

Distributed 6D Vector Antennas Design for Direction of Arrival Applications

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Abstract—We present a six-dimensional distributed vector sensor for Direction of Arrival estimation applications. A vector sensor should measure all 6 components of the electromagnetic field at the same location. Such sensor is motivated by recent analytical results, showing an improved estimation of the direction of arrival of the signal from a single source. Since the design of a collocated six-dimensional vector sensor is presently a major challenge, we consider a distributed approach for its design. Numerical simulations show that the performance of a distributed vector sensors in a multipath environment is greater than that of classical approaches with scalar arrays.

I. INTRODUCTION

In the latest decades, the problem of finding the Direction of Arrival (DoA) of an electromagnetic signal in a multipath environment has been thoroughly investigated. With the aim to develop adaptive waveforms radar systems able to reduce the cell resolution and improve the sensitivity, the issue of finding the DoA of a signal has become especially important for radar applications. The first significant step was to develop new signal processing techniques such as ESPRIT [1] or MUSIC [2] in order to find DoA in the presence of a multipath environment. At the present time, the only practical way to estimate the DoA of an incoming electromagnetic signal is through array antennas: by measuring the phase shift among the elements it is possible to estimate the DoA of an incoming EM signal. Unfortunately, array resolution and accuracy are limited by the effective size of the array aperture. In general, a larger array aperture yields more accurate DOA estimates [3]. The array aperture may be enlarged by adding more antenna elements in the case of uniform half-wavelength spacing, by spacing the elements nonuniformly over a larger aperture, or by increasing the separation between elements in the case of uniform spacing [4]. However, adding more antennas has the obvious drawback of increasing hardware costs. Furthermore, nonuniform interelement spacing cannot be practically used because it would generally violate ESPRIT's requirement of two identical but translated subarrays [4]. Moreover, the spatial version of the Nyquist Sampling Theorem also poses an upper limit on the distance between elements in the case of uniform spacing without causing aliasing. Two identical sensors spaced over a half-wavelength apart will lead to ambiguity in DoA estimations [4]. With no a priori information, this ambiguity cannot be resolved using unpolarized scalar sensors. For those reasons, scalar arrays may not be an optimum choice for DoA application. Moreover, in the presence of multipath, they

become further unreliable and inefficient. The main reason why scalar arrays are not suitable in multipath scenarios is due to the fact that the presence of a scattering environment violates the classical intuitive notion of there being only two polarization degrees of freedom for electromagnetic radiation [5]. This situation arises because in free space, radiated electric and magnetic fields are constrained to being perpendicular to one another and to the direction of propagation. Thus, once the direction of propagation is fixed, only two degrees of freedom remain. If there would not be any scatterer, a simple scalar array matched with the polarization of the incoming wave may be considered a good receiver and hence it could be used for DoA Estimation. However, in the presence of reflecting surfaces, multiple paths are possible between the two points. Although the wave propagating along the direct path cannot have an \vec{E} component parallel to that path, the wave propagating along the reflected path can contribute such a component to the field at the receiver. More generally, the electromagnetic polarization is no longer constrained to being perpendicular to the line-of-sight. This concept can be simply extended to the case of the presence of a large number of scatterers. In this situation, it is evident that we may expect a decrease in the correlation between corresponding \vec{E} and \vec{H} field components.

II. VECTOR ANTENNAS

A way to overcome the aforementioned drawbacks is to employ co-located six-component (usually referred as "six-dimension") electromagnetic Vector Antennas [6]. A theoretical co-located six-component vector antenna consists of three identical and co-located, but orthogonally oriented, electrically short dipoles (called a "dipole triad" or "tripole") plus three identical co-located, but orthogonally oriented, magnetically small loops (called a "loop triad"). All six-component antennas are spatially collocated in a point-like geometry. Their advantages include:

- Vector antennas increase the number of degrees of freedom in wireless electromagnetic communications (up to 6 different channels). This feature, albeit not required for DoA application, may be very useful for communication purposes, e.g. in substitution or integration for MIMO (Multiple Input Multiple Output) technologies.
- Vector antennas show better performances in fading situations. As the environment fluctuates, or as the receiver

moves through space, the measured electric and magnetic fields also fluctuate. For an antenna sensitive to just a single field component, the amplitude can occasionally come close to zero (fading). However, it is quite unlikely that all six vector components will vanish simultaneously.

- The six different components present high levels of correlation (due to the intrinsic co-location of the elements). This property can be exploited for signal recovery, yielding better estimations, upon suitable choices of signal processing algorithms.
- Ambiguity cannot be resolved using unpolarized scalar sensors. Conversely, as shown in Fig. 1, Vector Antennas do not show ambiguity for direction of arrival estimation [7].

Among these evident advantages, it is important to mention the fact that the Signal Processing community has welcomed the fact that the use of Vector Antennas for DoA estimation leads to an increase of the accuracy and the performance. In particular, Nehorai and Paldi [6] have thoroughly discussed DoA estimation using theoretical Vector Antennas. What unfortunately is still not available is an actual, working and tested realization of a 6D Vector Antenna. Contrary to what one may think, the actual realization of a full 6D Vector Antenna has not been completely accomplished. The main reasons are:

- Practical impossibility to collocate 6 different inputs at a single point in the space.
- Strong mutual coupling among the 6 elements of the Vector Antenna.

However, some attempts have been made in the last decade. They include:

- An initial attempt was made by Mitra et al. [5], in which they used 3 orthogonal sleeve dipoles half-wavelength with resonant frequency 880 MHz.
- An antenna system comprising of a loop and a dipole has been reported by Stancil et al. [8].
- Antenna systems consisting of co-located and co-polarized magnetic and electric dipoles (one loop and two orthogonal dipoles) arranged in a planar, stacked configuration is presented by Lazzi et al. [2].
- A first 4D Vector Antenna prototype has been developed by Lazzi et al. [9]; and,
- Full 6D Vector Antennas which measure all six components of electric and magnetic fields [10]–[13] have been manufactured. However they are large in size, the carrier frequency is generally below the typical frequency ranges of radar systems, they are relatively narrowband (≤ 30 MHz), and are of a non-planar configuration.

We performed some preliminary measurements on a synthesized 6D co-located vector antenna [7]. The synthesized antenna is achieved by locating separately a dipole and a loop, first along the x axis, then along the y axis and in the end along the z axis. The loop and dipole antennas were designed and manufactured based upon the description provided by [2], [2] and operate at 2.65 GHz. Figure 1 shows the results of the MUSIC algorithm applied to the measured data. This figure

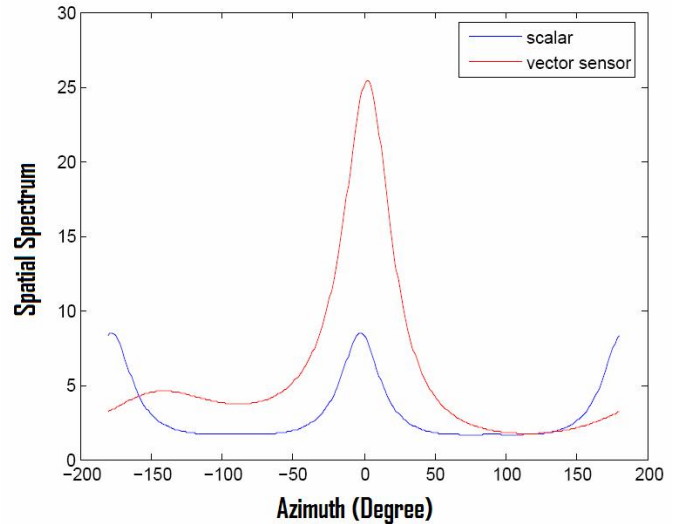


Fig. 1. MUSIC spatial spectrum: vector sensor (red line) and array antenna (blue line) results

shows the spatial spectrum for the synthesized vector antenna (red line) and for an array of two identical elements (blue line). This diagram shows a better performance of the vector sensor because the curve obtained with the vector antenna only has one maximum, while the curve obtained with the array antenna shows an ambiguous behavior.

III. DISTRIBUTED ELEMENT VECTOR ANTENNA

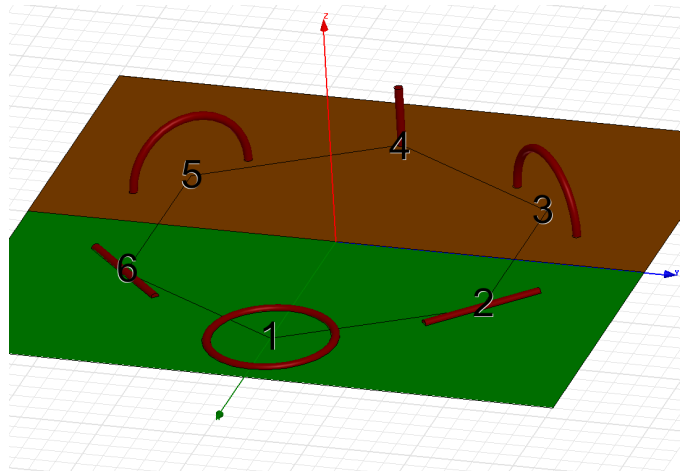


Fig. 2. Distributed 6D Antenna

We have developed a 6D vector antenna for radar application in the S band around 3 GHz. At this frequency, one of the major challenges is the coupling among the antenna elements. Coupling becomes a particularly difficult issue with co-located antennas. Furthermore, it is not trivial to physically collocate six connectors at the same geometrical point. Hence, we are currently considering a different design based on a distributed element approach. The performance of a distributed 6D vector antenna is even better than a co-located version,

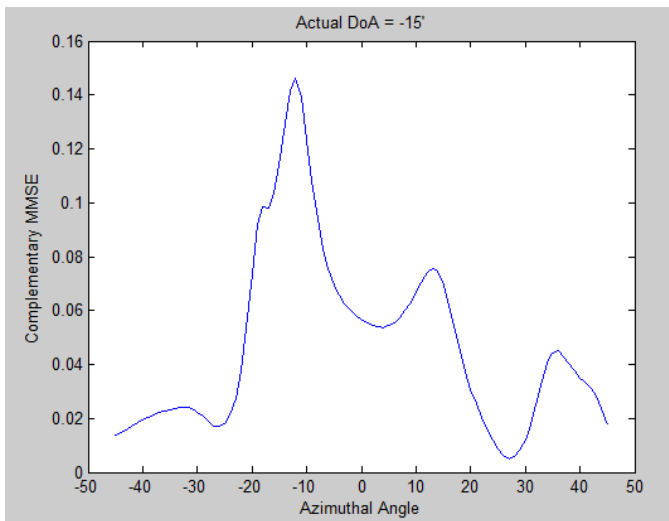


Fig. 6. Actual DoA : -15 degrees, Estimated Value : -12

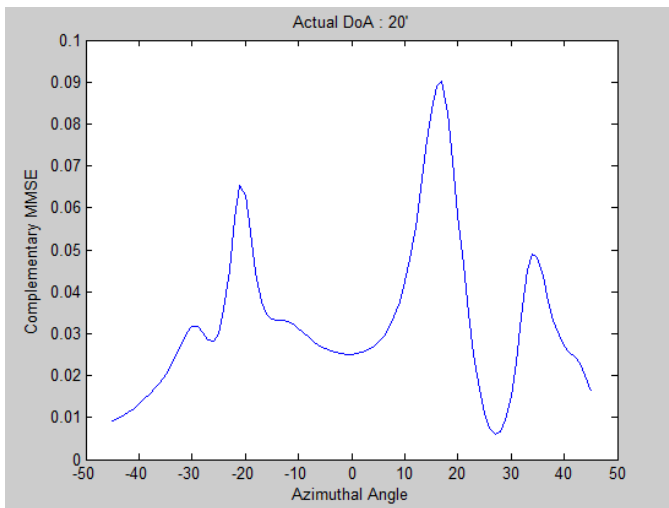


Fig. 7. Actual DoA : +20 degrees, Estimated Value : -18

in figures 5, 6, and 7. They are promising because they show a maximum error of only 3 degrees. In the future, we hope to improve this estimates.

V. CONCLUSION

We design, manufactured and tested a 6D distributed vector antenna. Preliminary numerical simulations using our Distributed Vector Antenna show promising results, with an error that is below 3 degrees.

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